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A model of context effects in perception is applied to the perception of letters in various contexts. In the model, perception results from excitatory and inhibitory interactions of detectors for visual features, letters, and words. A visual input excites detectors for visual features in the display. These excitatory detectors are similar to the corresponding active features. The letter detectors in turn excite detectors for consistent words. Active word detectors mutually inhibit each other and send feedback to the letter level, strengthening activation and hence perceptibility of their constituent letters. Computer simulation of the model exhibits the perceptual advantage for letters in words over unrelated contexts and is consistent with the basic facts about the word advantage. Most importantly, the model produces facilitation for letters in pronounceable pseudowords as well as words. Pseudowords activate detectors for words that are consistent with most of the active letters, and feedback from the activated words strengthens the activations of the letters in the pseudoword. The model thus accounts for apparently rule-governed performance without any actual rules.

As we perceive, we are continually extracting sensory information to guide our attempts to determine what is before us. In addition, we bring to perception a wealth of knowledge about the objects we might see or hear and the larger units in which these objects co-occur. As one of us has argued for the case of reading (Rumelhart, 1977), our knowledge of the objects we might be perceiving works together with the sensory information in the perceptual process. Exactly how does the knowledge that we have interact with the input? And how does this interaction facilitate perception?

In this two-part article we have attempted to take a few steps toward answering these questions. We consider one specific example of the interaction of knowledge and perception—the perception of letters in words and other contexts. In Part 1 we examine the main findings in the literature on perception of letters in context and develop a model called the interactive activation model to account for these effects. In Part 2 (Rumelhart & McClelland, in press) we extend the model in several ways. We present a set of studies introducing a new technique for studying the perception of letters in context, independently varying the duration and timing of the context and target letters. We show how the model fares in accounting for the results of these experiments and discuss how the model may be extended to account for a variety of phenomena. We also present an experiment that tests—and supports—a
counterintuitive prediction of the model. Finally, we consider how the mechanisms developed in the course of exploring our model of word perception might be extended to perception of other sorts of stimuli.

Basic Findings on the Role of Context in Perception of Letters

The notion that knowledge and familiarity play a role in perception has often been supported by experiments on the perception of letters in words (Bruner, 1957; Neisser, 1967). It has been known for nearly 100 years that it is possible to identify letters in words more accurately than letters in random letter sequences under tachistoscopic presentation conditions (Cattell, 1886; see Huey, 1908, and Neisser, 1967, for reviews). However, until recently such effects were obtained using whole reports of all of the letters presented. These reports are subject to guessing biases, so that it was possible to imagine that familiarity did not determine how much was seen but only how much could be inferred from a fragmentary percept. In addition, for longer stimuli, full reports are subject to forgetting. We may see more letters than we can actually report in the case of nonwords, but when the letters form a word, we may be able to retain as a single unit the item whose spelling may simply be read out from long-term memory. Thus, despite strong arguments to the contrary by proponents of the view that familiar context really does influence perception, it has been possible until recently to imagine that the context in which a letter was presented influences only the accuracy of postperceptual processes and not the process of perception itself.

The perceptual advantage of letters in words. The seminal experiment of Reicher (1969) suggests that context does actually influence perceptual processing. Reicher presented target letters in words, unpronounceable nonwords, and alone, following the presentation of the target display with a presentation of a patterned mask. The subject was then tested on a single letter in the display, using a forced choice between two alternative letters. Both alternatives fit the context to form an item of the type presented, so that, for example in the case of a word presentation, the alternative would also form a word in the context.

Forced-choice performance was more accurate for letters in words than for letters in nonwords or even for single letters. Since both alternatives made a word with the context, it is not possible to argue that the effect is due to postperceptual guessing based on equivalent information extracted about the target letter in the different conditions. It appears that subjects actually come away with more information relevant to a choice between the alternatives when the target letter is a part of a word. And, since one of the control conditions was a single letter, it is not reasonable to argue that the effect is due to forgetting letters that have been perceived. It is hard to see how a single letter, once perceived, could be subject to a greater forgetting than a letter in a word.

Reicher's (1969) finding seems to suggest that perception of a letter can be facilitated by presenting it in the context of a word. It appears, then, that our knowledge about words can influence the process of perception. Our model presents a way of bringing such knowledge to bear. The basic idea is that the presentation of a string of letters begins the process of activating detectors for letters that are consistent with the visual input. As these activations grow stronger, they begin to activate detectors for words that are consistent with the letters, if there are any. The active word detectors then produce feedback, which reinforces the activations of the detectors for the letters in the word. Letters in words are more perceptible, because they receive more activation than representations of either single letters or letters in an unrelated context.

Reicher's basic finding has been investigated and extended in a large number of studies, and there now appears to be a set of important related findings that must also be explained.

Irrelevance of word shape. The effect seems to be independent of the familiarity of the word as a visual configuration. The word advantage over nonwords is obtained for words in lowercase type, words in uppercase type, or words in a mixture of upper-
the case of lowercase (Adams, 1979; McClelland, 1976).

Role of patterned masking. The word advantage over single letters and nonwords appears to depend upon the visual masking conditions used (Johnston & McClelland, 1973; Massaro & Klitzke, 1979; see also Juola, Leavitt, & Choe, 1974; Taylor & Chabot, 1978). The word advantage is quite large when the target appears in a distinct, high-contrast display followed by a patterned mask of similar characteristics. However, the word advantage over single letters is actually reversed, and the word advantage over nonwords becomes quite small when the target is indistinct, low in contrast, and/or followed by a blank, nonpatterned field.

Extension to pronounceable pseudowords. The word advantage also applies to pronounceable nonwords, such as \textit{REET} or \textit{MAVE}. A large number of studies (e.g., Aderman & Smith, 1971; Baron & Thurston, 1973; Spoehr & Smith, 1975) have shown that letters in pronounceable nonwords (also called pseudowords) have a large advantage over letters in unpronounceable nonwords (also called unrelated letter strings), and three studies (Carr, Davidson, & Hawkins, 1978; Massaro & Klitzke, 1979; McClelland & Johnston, 1977) have obtained an advantage for letters in pseudowords over single letters.

Absence of effects of contextual constraint under patterned-mask conditions. One important finding, which rules out several of the models that have been proposed previously, is the finding that letters in highly constraining word contexts have little or no advantage over letters in weakly constraining word contexts under the distinct-target/patterned-mask conditions that produce a large word advantage (Johnston, 1978; see also Estes, 1975). For example, if the set of possible stimuli contains only words, the context \textit{HIP} constrains the first letter to be either an \textit{S}, a \textit{C}, or a \textit{W}; whereas the context \textit{INK} is compatible with 12 to 14 letters (the exact number depends on what counts as a word). We might expect that the former, more strongly constraining context would produce superior detection of a target letter. But in a very carefully controlled and executed study, Johnston (1978) found no such effect. Although constraints do influence performance under other conditions (e.g., Broadbent & Gregory, 1968), they do not appear to make a difference under the distinct-target/patterned-mask conditions of the Johnston study.

To be successful, any model of word perception must provide an account not only for Reicher's (1969) basic effect but for these related findings as well. Our model accounts for all of these effects. We begin by presenting the model in abstract form. We then focus on the specific version of the model implemented in our simulation program and consider some of the details. Subsequently, we turn to detailed considerations of the findings we have discussed in this section.

The Interactive Activation Model

We approach the phenomena of word perception with a number of basic assumptions that we want to incorporate into the model. First, we assume that perceptual processing takes place within a system in which there are several levels of processing, each concerned with forming a representation of the input at a different level of abstraction. For visual word perception, we assume that there is a visual feature level, a letter level, and a word level, as well as higher levels of processing that provide "top-down" input to the word level.

Second, we assume that visual perception involves parallel processing. There are two different senses in which we view perception as parallel. We assume that visual perception is spatially parallel. That is, we assume that information covering a region in space at least large enough to contain a four-letter word is processed simultaneously. In addition, we assume that visual processing occurs at several levels at the same time. Thus, our model of word perception is spatially parallel (i.e., capable of processing several letters of a word at one time) and involves processes that operate simultaneously at several different levels. Thus, for example, processing at the letter level presumably occurs simultaneously with processing at the word level and with processing at the feature level.

Third, we assume that perception is fundamentally an interactive process. That is,
we assume that "top-down" or "conceptually driven" processing works simultaneously and in conjunction with "bottom-up" or "data driven" processing to provide a sort of multiplicity of constraints that jointly determine what we perceive. Thus, for example, we assume that knowledge about the words of the language interacts with the incoming featural information in codetermining the nature and time course of the perception of the letters in the word.

Finally, we wish to implement these assumptions by using a relatively simple method of interaction between sources of knowledge whose only "currency" is simple excitatory and inhibitory activations of a neural type.

Figure 1 shows the general conception of the model. Perceptual processing is assumed to occur in a set of interacting levels, each communicating with several others. Communication proceeds through a spreading activation mechanism in which activation at one level spreads to neighboring levels. The communication can consist of both excitatory and inhibitory messages. Excitatory messages increase the activation level of their recipients. Inhibitory messages decrease the activation level of their recipients. The arrows in the diagram represent excitatory connections, and the circular ends of the connections represent inhibitory connections. The intralevel inhibitory loop represents a kind of lateral inhibition in which incompatible units at the same level compete. For example, since a string of four letters can be interpreted as at most one four-letter word, the various possible words mutually inhibit one another and in that way compete as possible interpretations of the string.

It is clear that many levels are important in reading and perception in general, and the interactions among these levels are important for many phenomena. However, a theoretical analysis of all these interactions introduces an order of complexity that obscures comprehension. For this reason, we have restricted the present analysis to an examination of the interaction between a single pair of levels, the word and letter levels. We have found that we can account for the phenomena reviewed above by considering only the interactions between letter level and word level elements. Therefore, for the present we have elaborated the model only on these two levels, as illustrated in Figure 2. We have delayed consideration of the effects of higher level processes and phonological processes, and we have ignored the reciprocity of activation that may occur between word and letter levels and any other levels of the system. We consider aspects of the fuller model including these influences in Part 2 (Rumelhart & McClelland, in press).

Specific Assumptions

Representation assumptions. For every relevant unit in the system we assume there is an entity called a node. We assume that there is a node for each word we know, and that there is a node for each letter in each letter position within a four-letter string.

The nodes are organized into levels. There are word level nodes and letter level nodes. Each node has connections to a number of other nodes such that the connection strength is highest for the letter nodes corresponding to the letters in the word and lower for other nodes. The connections between nodes are represented by weighted links in the network. The weights of these links determine the strength of the connection between nodes.
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other nodes. The nodes to which a node connects are called its neighbors. Each connection is two-way. There are two kinds of connections: excitatory and inhibitory. If two nodes suggest each other's existence (in the way that the node for the word the suggests the node for an initial t and vice versa), then the connections are excitatory. If two nodes are inconsistent with one another (in the way that the node for the word the and the node for the word boy are inconsistent), then the relationship is inhibitory. Note that we identify nodes according to the units they detect, printing them in italics; stimuli presented to the system are in uppercase letters.

Connections may occur within levels or between adjacent levels. There are no connections between nonadjacent levels. Connections within the word level are mutually-inhibitory, since only one word can occur at any one place at any one time. Connections between the word level and letter level may be either inhibitory or excitatory (depending on whether the letter is a part of the word in the appropriate letter position). We call the set of nodes with excitatory connections to a given node its excitatory neighbors and the set of nodes with inhibitory connections to a given node its inhibitory neighbors.

A subset of the neighbors of the letter t is illustrated in Figure 3. Again, excitatory connections are represented by the arrows ending with points, and inhibitory connections are represented by the arrows ending with dots. We emphasize that this is a small subset of the neighborhood of the initial t. The picture of the whole neighborhood, including all the connections among neighbors and their connections to their neighbors, is much too complicated to present in a two-dimensional figure.

Activation assumptions. There is associated with each node a momentary activation value. This value is a real number, and for node i we will represent it by \( a_i(t) \). Any node with a positive activation value is said to be active. In the absence of inputs from its neighbors, all nodes are assumed to decay back to an inactive state, that is, to an activation value at or below zero. This resting level may differ from node to node and corresponds to a kind of a priori bias (Broadbent, 1967) determined by frequency of activation of the node over the long term. Thus, for example, the nodes for high-frequency words have resting levels higher than those for low-frequency words. In any case, the resting level for node i is represented by \( r_i \). For units not at rest, decay back to the resting level occurs at some rate \( \theta \).

When the neighbors of a node are active, they influence the activation of the node by either excitation or inhibition, depending on their relation to the node. These excitatory and inhibitory influences combine by a sim-
ple weighted average to yield a net input to the unit, which may be either excitatory (greater than zero) or inhibitory. In mathematical notation, if we let \( n(t) \) represent the net input to the unit, we can write the equation for its value as

\[
n(t) = \sum_j a_{ij} e_j(t) - \sum_k \gamma_{ik} s_k(t),
\]

where \( e_j(t) \) is the activation of an active excitatory neighbor of the node, each \( s_k(t) \) is the activation of an active inhibitory neighbor of the node, and \( a_{ij} \) and \( \gamma_{ik} \) are associated weight constants. Inactive nodes have no influence on their neighbors. Only nodes in an active state have any effects, either excitatory or inhibitory.

The net input to a node drives the activation of the node up or down, depending on whether it is positive or negative. The degree of the effect of the input on the node is modulated by the node's current activity level to keep the input to the node from driving it beyond some maximum and minimum values (Grossberg, 1978). When the net input is excitatory, \( n(t) > 0 \), the effect on the node, \( \epsilon(t) \), is given by

\[
\epsilon(t) = n(t)(M - a_s(t)),
\]

where \( M \) is the maximum activation level of the unit. The modulation has the desired effect, because as the activation of the unit approaches the maximum, the effect of the input is reduced to zero. \( M \) can be thought

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*Figure 3. A few of the neighbors of the node for the letter \( T \) is in the first position in a word, and their interconnections.*
of as a basic scale factor of the model, and we have set its value to 1.0.

In the case where the input is inhibitory, \( n(t) < 0 \), the effect of the input on the node is given by

\[
e(t) = n(t)(a(t) - m),
\]

where \( m \) is the minimum activation of the unit.

The new value of the activation of a node at time \( t + \Delta t \) is equal to the value at time \( t \), minus the decay, plus the influence of its neighbors at time \( t \):

\[
a(t + \Delta t) = a(t) - \Theta(a(t) - r_i) + \epsilon(t).
\]

Input assumptions. Upon presentation of a stimulus, a set of featural inputs is made available to the system. Each feature in the display will be detected with some probability \( p \). For simplicity it is assumed that feature detection occurs, if it is to occur at all, immediately after onset of the stimulus. The probability that any given feature will be detected is assumed to vary with the visual quality of the display. Features that are detected begin sending activation to all letter nodes that contain that feature. All letter level nodes that do not contain the extracted feature are inhibited.

It is assumed that features are binary and that we can extract either the presence or absence of a particular feature. So, for example, when viewing the letter \( R \) we can extract, among other features, the presence of a diagonal line segment in the lower right corner and the absence of a horizontal line across the bottom. In this way the model honors the conceptual distinction between knowing that a feature is absent and not knowing whether a feature is present.

Presentation of a new display following an old one results in the probabilistic extraction of the set of features present in the new display. These features, when extracted, replace the old ones in corresponding positions. Thus, the presentation of an \( E \) following the \( R \) described above would result in the replacement of the two features described above with their opposites.

On making responses. One of the more problematic aspects of a model such as this one is a specification of how these relatively complex patterns of activity might be related to the content of percepts and the sorts of response probabilities we observe in experiments. We assume that responses and perhaps the contents of perceptual experience depend on the temporal integration of the pattern of activation over all of the nodes. The integration process is assumed to occur slowly enough that brief activations may come and go without necessarily becoming accessible for purposes of responding or entering perceptual experience. However, as the activation lasts longer and longer, the probability that it will be reportable increases. Specifically, we think of the integration process as taking a running average of the activation of the node over previous time:

\[
\bar{a}(t) = \int_{-\infty}^{t} a(x) e^{-\mu(t - x)} dx.
\]

In this equation, the variable \( x \) represents preceding time, varying between \(-\infty\) and \( t \). The exponential portion of the expression weights the contribution of the activation of the node in previous time intervals: Essentially, its effect is to reduce the contribution of prior activations as they recede further back in time. The parameter \( r \) represents the relative weighting given to old and new information and determines how quickly the output values change in response to changes in the activations of the underlying nodes. The larger the value of \( r \), the more quickly the output values change. Response strength, in the sense of Luce's choice model (Luce, 1959), is an exponential function of the running average activation:

\[
s_i(t) = e^{\mu(t)}.
\]

The parameter \( \mu \) determines how rapidly response strength grows with increases in activation. Following Luce's formulation, we assume that the probability of making a response based on node \( i \) is given by

\[
p(R_i,t) = \frac{s_i(t)}{\sum_{i \in L} s_i(t)}.
\]

where \( L \) represents the set of nodes competing at the same level with node \( i \).
Most of the experiments we will be considering test subjects' performance on one of the letters in a word or other type of display. In accounting for these results, we have adopted the assumption that responding is always based on the output of the letter level, rather than the output of the word level or some combination of the two. The forced choice is assumed to be based only on this letter-level information. The subject compares the letter selected for the appropriate position against the forced-choice alternatives. If the letter selected is one of the alternatives, then that alternative is chosen in the forced choice. If it is not one of the alternatives, then the model assumes that one of the alternatives would simply be chosen at random.

One somewhat problematical issue involves deciding when to read out the results of processing and select response letters for each letter position. When a target display is simply turned on and left on until the subject responds, and when there is no pressure to respond quickly, we assume that the subject simply waits until the output strengths have reached their asymptotic values. However, when a target display is presented briefly followed by a patterned mask, the activations produced by the target are transient, as we shall see. Under these conditions, we assume that the subject learns through experience in the practice phase of the experiment to read out the results of processing at a time that allows the subject to optimize performance. For simplicity, we have assumed that readout occurs in parallel for all four letter positions.

The Operation of the Model

Now, consider what happens when an input reaches the system. Assume that at time $t_0$ all prior inputs have had an opportunity to decay, so that the entire system is in its quiescent state, and each node is at its resting level. The presentation of a stimulus initiates a process in which certain features are extracted and excitatory and inhibitory pressures begin to act upon the letter-level nodes. The activation levels of certain letter nodes are pushed above their resting levels. Others receive predominantly inhibitory inputs and are pushed below their resting levels. These letter nodes, in turn, begin to send activation to those word-level nodes they are consistent with and inhibit those word nodes they are not consistent with. In addition, within a given letter position channel, the various letter nodes attempt to suppress each other, with the strongest ones getting the upper hand. As word-level nodes become active, they in turn compete with one another and send feedback down to the letter-level nodes. If the input features were close to those for one particular set of letters and those letters were consistent with those forming a particular word, the positive feedback in the system will work to rapidly converge on the appropriate set of letters and the appropriate word. If not, they will compete with each other, and perhaps no single set of letters or single word will get enough activation to dominate the others. In this case the various active units might strangle each other through mutual inhibition.

At any point during processing, the results of perceptual processing may be read out from the pattern of activations at the letter level into a buffer, where they may be kept through rehearsal or used as the basis for overt reports. The accuracy of this process depends on a running average of the activations of the correct node and of other competing nodes.

Simulations

Although the model is in essence quite simple, the interactions among the various nodes can become complex, so that the model is not susceptible to a simple intuitive or even mathematical analysis. Instead, we have relied on computer simulations to study the behavior of the model and to see if it is consistent with the empirical data. A description of the actual computer program is given in the Appendix.

For purposes of these simulations, we have made a number of simplifying assumptions. These additional assumptions fall into three classes: (a) discrete rather than continuous time, (b) simplified feature analysis of the input font, and (c) a limited lexicon.

The simulation operates in discrete time slices, or ticks, updating the activations of
all of the nodes in the system once each cycle on the basis of the values on the previous cycle. Obviously, this is simply a matter of computational convenience and not a fundamental assumption. We have endeavored to keep the time slices “thin” enough so that the model’s behavior is continuous for all intents and purposes.

Any simulation of the model involves making explicit assumptions about the appropriate featural analysis of the input font. We have, for simplicity, chosen the font and featural analysis employed by Rumelhart (1970) and by Rumelhart and Siple (1974), illustrated in Figure 4. Although the experiments we have simulated employed different type fonts, we assume that the basic results do not depend on the particular font used. The simplicity of the present analysis recommends it for the simulations, though it obviously skirts several fundamental issues about the lower levels of processing.

Finally, our simulations have been restricted to four-letter words. We have equipped our program with knowledge of 1,179 four-letter words occurring at least two times per million in the Kucera and Francis (1967) word count. Plurals, inflected forms, first names, proper names, acronyms, abbreviations, and occasional unfamiliar entries arising from apparent sampling flukes have been excluded. This sample appears to be sufficient to reflect the essential characteristics of the language and to show how the statistical properties of the language can affect the process of perceiving letters in words.

An Example

Let us now consider a sample run of our simulation model. The parameter values employed in the example are those used to simulate all the experiments discussed in the remainder of Part I. These values are described in detail in the following section. For the purposes of this example, imagine that the word WORK has been presented to the subject and that the subject has extracted those features shown in Figure 5. In the first three letter positions, the features of the letters W, O, and R have been completely extracted. In the final position a set of features consistent with the letters K and R have been extracted, with the features that would disambiguate the letter unavailable. We wish now to chart the activity of the system resulting from this presentation. Figure 6 shows the time course of the activations for selected nodes at the word and letter levels, respectively.

At the word level, we have charted the activity levels of the nodes for the words work, word, wear, and weak. Note first that work is the only word in the lexicon consistent with all the presented information. As a result, its activation level is the highest and reaches a value of .8 through the first 40 time cycles. The word word is consistent with the bulk of the information presented and therefore first rises and later is pushed back
down below its resting level, as a result of competition with work. The words wear and weak are consistent with the only letter active in the first letter position, and one of the two active in the fourth letter position. They are also inconsistent with the letters active in Positions 2 and 3. Thus, the activation they receive from the letter level is quite weak, and they are easily driven down well below zero, as a result of competition from the other word units. The activations of these units do not drop quite as low, of course, as the activation level of words such as gill, which contain nothing in common with the presented information. Although not shown in Figure 6, these words attain near-mini-

![Word Activations Graph](image)

![Letter Activations Graph](image)

Figure 6. The time course of activations of selected nodes at the word and letter levels after extraction of the features shown in Figure 5.
maximum activation levels of about -.20 and stay there as the stimulus stays on. Returning to wear and weak, we note that these words are equally consistent with the presented information and thus drop together for about the first 9 time units. At this point, however, the word work has clearly taken the upper hand at the word level, and produces feedback that reinforces the activation of the final k and not the final r. As a result, the word weak receives more activation from the letter level than the word wear and begins to gain a slight advantage over wear. The strengthened k continues to feed activation into the word level and strengthen consistent words. The words that contain an R continue to receive activation from the r node also, but they receive stronger inhibition from the words consistent with a K and are therefore ultimately weakened, as illustrated in the lower panel of Figure 6.

The strong feature–letter inhibition ensures that when a feature inconsistent with a particular letter is detected, that letter will receive relatively strong net bottom-up inhibition. Thus in our example, the information extracted clearly disconfirms the possibility that the letter D has been presented in the fourth position, and thus the activation level of the d node decreases quickly to near its minimum value. However, the bottom-up information from the feature level supports either a K or an R in the fourth position. Thus, the activation of each of these nodes rises slowly. These activations, along with those for W, O, and R, push the activation of work above zero, and it begins to feed back; by about Time Cycle 4, it is beginning to push the k above the r (because WORK is not a word). Note that this separation occurs just before the words weak and wear separate. It is the strengthening of k due to feedback from work that causes them to separate.

Ultimately, the r reaches a level well below that of k where it remains, and the k pushes toward a .8 activation level. As discussed below, the word-to-letter inhibition and the letter-to-letter inhibition have both been set to 0. Thus, k and r both co-exist at moderately high levels, the r fed only from the bottom up, and the k fed from both bottom up and top down.

Finally, consider the output values for the letter nodes r, k, and d. Figure 7 shows the output values for the simulation. The output value is the probability that if a response was selected at time t, the letter in question would be selected as the output or response from the system. As intended, these output values grow somewhat more slowly than the values of the letter activations themselves but eventually, as they reach and hold their asymptotic values, come to reflect the activations of the letter nodes. Since in the absence of masking subjects can afford to wait to read out a response until the output values have had a chance to stabilize, they would be highly likely to choose the letter K as the response.

Although this example is not very general in that we assumed that only partial information was available in the input for the fourth letter position, whereas full information was available at the other letter positions, it does illustrate many of the important characteristics of the model. It shows how ambiguous sensory information can be disambiguated by top–down processes. Here we have a very simple mechanism capable of applying knowledge of words in the perception of their component letters.

**Parameter Selection**

Once the basic simulation model was constructed, we began a lengthy process of attempting to simulate the results of several representative experiments in the literature.
Only two parameters of the model were allowed to vary from experiment to experiment: (a) the probability of feature extraction and (b) the timing of the presentation of the masking stimulus if one was used.

The probability of feature extraction is assumed to depend on the visual characteristics of the display. In most of the experiments we will consider, a bright, high-contrast target was used. Such a target would produce perfect performance if not followed by a patterned mask. In these cases probability of feature extraction was fixed at 1.0 and the timing of the target offset and coincident mask onset typically was adjusted to achieve 75% correct performance over the different experimental conditions of interest. In simulating the results of these experiments, we likewise varied the timing of the target offset/mask onset to achieve the right average correct performance from the model.

In some experiments no patterned mask was used, and performance was kept below perfect levels by using a dim or otherwise degraded target display. In these cases the probability of feature extraction was set to a value less than 1.0, which produces about the right overall performance level.

The process of exploring the behavior of the model amounted to an extended search for a set of values for all the other parameters that would permit the model to simulate, as closely as possible, the results of all of the experiments to be discussed later in Part 1, as well as those to be considered in Part 2 (Rumelhart & McClelland, in press). To constrain the search, we adopted various restrictive simplifications. First, we assumed that all nodes have the same maximum activation value. In fact, the maximum was set to 1.0, and served to scale all activations within the model. The minimum activation value for all nodes was set at -.20, a value that permits rapid reactivation of strongly inhibited nodes. The decay rate of all nodes was set to the value of .07. This parameter effectively serves as a scale factor that determines how quickly things are allowed to change in a single time slice. The .07 value was picked after some exploration, since it seemed to permit us to run our simulations with the minimum number of time slices per trial, at the same time as it minimized a kind of reverberatory oscillation that sets in when things are allowed to change too much on any given time cycle. We also assigned the resting value of zero to all of the letter nodes.

The resting value of nodes at the word level was set to a value between -.05 and 0, depending on word frequency.

We have assumed that the weight parameters, \( a_{ij} \) and \( \gamma_{i} \), depend only on the processing levels of nodes \( i \) and \( j \) and on no other characteristics of their identity. This means, among other things, that the excitatory connections between all letter nodes and all of the relevant word nodes are equally strong, independent of the identity of the words. Thus, for example, the degree to which the node for an initial \( t \) excites the node for the word stock is exactly the same as the degree to which it excites the node for the word this, in spite of a substantial difference in frequency of usage. To further simplify matters, the word-to-letter inhibition was also set to zero. This means that feedback from the word level can strengthen activations at the letter level but cannot weaken them.

The output from the detector network has essentially two parameters. The value .05 was used for the parameter \( r \), which determines how quickly the output values change in response to changes in the activations of the underlying nodes. This value is small enough that the output values change relatively slowly, so that transient activations can come and go without much effect on the output. The value 10 was given to the parameter \( \mu \) in Equation 6 above. The parameter \( \mu \) is essentially a scale factor relating activations in the model to response strengths in the Luce formulation.

The values of the remaining parameters were fixed at the values given in Table 3. It is worth noting the differences between the feature-letter influences and the letter-word influences. The feature-letter inhibition is 30 times as strong as the feature-letter excitation. This means that all of the features detected must be compatible with a particular letter before that letter will receive net excitation (since there are only 14 possible features, there can only be a maximum of 13 excitatory inputs whenever there is a single inhibitory input). The main reason for choosing this value was to permit the pre-
### Table 1
Parameter Values Used in the Simulations

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Feature-letter excitation</td>
<td>.005</td>
</tr>
<tr>
<td>Feature-letter inhibition</td>
<td>.15</td>
</tr>
<tr>
<td>Letter-word excitation</td>
<td>.07</td>
</tr>
<tr>
<td>Letter-word inhibition</td>
<td>.04</td>
</tr>
<tr>
<td>Word-word inhibition</td>
<td>.21</td>
</tr>
<tr>
<td>Letter-letter inhibition</td>
<td>0</td>
</tr>
<tr>
<td>Word-letter excitation</td>
<td>.30</td>
</tr>
</tbody>
</table>

sentation of a mask to clear the previous pattern of activation. On the other hand, the letter-word inhibition is actually somewhat less than the letter-letter excitation. When only one letter is active in each letter position, this means that the letter level will produce net excitation of all words that share two or more letters with the target word. Because of these multiple activations, strong word-word inhibition is necessary to “sharpen” the response of the word level, as we shall see. In contrast, no such inhibition is necessary at the letter level. For these reasons, the letter-letter inhibition has been set to 0, whereas the word-letter inhibition has been set to .21.

**Comments on Related Formulations**

Before turning to the application of the model to the experimental literature, some comments on the relationship of this model to other models extant in the literature is in order. We have tried to be synthetic. We have taken ideas from our own previous work and from the work of others in the literature. In what follows, we attempt to identify the sources of most of the assumptions of the model and to show in what ways our model differs from the models we have drawn on.

First of all, we have adopted the approach of formulating the model in terms similar to the way in which such a process might actually be carried out in a neural or neural-like system. We do not mean to imply that the nodes in our system are necessarily related to the behavior of individual neurons. We will, however, argue that we have kept the kinds of processing involved well within the bounds of capability for simple neural circuits. The approach of modeling information processing in a neural-like system has recently been advocated by Szentagothai and Arbib (1975) and is represented in many of the articles presented in the volume by Hinton and Anderson (1981) as well as many of the specific models mentioned below.

One case in point is the work of Levin (1976). He proposed a parallel computational system capable of interactive processing that employs only excitation and inhibition as its currency. Although our model could not be implemented exactly in the format of their system (called Proteus), it is clearly in the spirit of their model and could readily be implemented within a variant of the Proteus system.

In a recent article McClelland (1979) has proposed a cascade model of perceptual processing in which activations on each level of the system drive those at the next higher level. This model has the properties that partial outputs are continuously available for processing and that every level of the system processes the input simultaneously. The present model certainly adopts these assumptions. It also generalizes them, permitting information to flow in both directions simultaneously.

Hinton (Note 1) has developed a relaxation model for visual perception in which multiple constraints interact by means of incrementing and decrementing real numbered strengths associated with various interpretations of a portion of the visual scene in an attempt to attain a maximally consistent interpretation of the scene. Our model can be considered a relaxation system in which activation levels are manipulated to get an optimal interpretation of an input word.

James Anderson and his colleagues (Anderson, 1977; Anderson, Silverstein, Ritz, & Jones, 1977) and Kohonen and his colleagues (Kohonen, 1977) have developed a pattern recognition system which they call an associative memory system. Their system shares a number of commonalities with ours. One feature the models share is the scheme of adding and subtracting weighted excitation values to generate output patterns that represent cleaned-up versions of the input...
patterns. In particular, our $\alpha_y$ and $\gamma_y$ correspond to the matrix elements of the associative memory models. Our model differs in that it has multiple levels and employs a nonlinear cumulation function similar to one suggested by Grossberg (1978), as mentioned above.

Our model also draws on earlier work in the area of word perception. There is, of course, a strong similarity between this model and the logogen model of Morton (1969). What we have implemented might be called a hierarchical, nonlinear, logogen model with feedback between levels and inhibitory interactions among logogens at the same level. We have also added dynamic assumptions that are lacking from the logogen model.

The notion that word perception takes place in a hierarchical information-processing system has, of course, been advocated by several researchers interested in word perception (Adams, 1979; Estes, 1975; Johnston & McClelland, 1980; LaBerge & Samuels, 1974; McClelland, 1976). Our model differs from those proposed in many of these papers in that processing at different levels is explicitly assumed to take place in parallel. Many of the models are not terribly explicit on this topic, although the notion that partial information could be passed along from one level to the next so that processing could go on at the higher level while it was continuing at the lower level had been suggested by McClelland (1976). Our model also differs from all of these others, except that of Adams (1979), in assuming that there is feedback from the word level to the letter level. The general formulation suggested by Adams (1979) is quite similar to our own, although she postulates a different sort of mechanism for handling pseudowords (excitatory connections among letter nodes) and does not present a detailed account.

Our mechanism for accounting for the perceptual facilitation of pseudowords involves, as we will see below, the integration of feedback from partial activation of a number of different words. The idea that pseudoword perception could be accounted for in this way was inspired by Glushko (1979), who suggested that partial activation and synthesis of word pronunciations could account for the process of constructing a pronunciation for a novel pseudoword.

The feature-extraction assumptions and the bottom-up portion of the word recognition model are nearly the same as those employed by Rumelhart (1970, Note 2) and Rumelhart and Siple (1974). The interactive feedback portion of the model is clearly one of the class of models discussed by Rumelhart (1977) and could be considered a simplified control structure for expressing the model proposed in that paper.

Application of the Simulation Model to Several Basic Findings

We are finally ready to see how well our model fares in accounting for the findings of several representative experiments in the literature. In discussing each account, we will try to explain not only how well the simulation works but why it behaves as it does. As we proceed through the discussion, we will have occasion to describe several interesting synergistic properties of the model that we did not anticipate but discovered as we explored the behavior of the system. As mentioned previously, the actual parameters used in both the examples that we will discuss and in the simulation results we will report are those summarized in Table 1. We will consider the robustness of the model, and the effects of changes in these parameters, in the discussion section at the end of Part 1.

The Word Advantage and the Effects of Visual Conditions

As we noted previously, word perception has been studied under a variety of different visual conditions, and it is apparent that different conditions produce different results. The advantage of words over nonwords appears to be greatest under conditions in which a bright, high-contrast target is followed by a patterned mask with similar characteristics. The word advantage appears to be considerably less when the target presentation is dimmer or otherwise degraded and is followed by a blank white field.

Typical data demonstrating these points (from Johnston & McClelland, 1973) are
Table 2
Effect of Display Conditions on Proportion of Correct Forced Choices in Word and Letter Perception (From Johnston & McClelland, 1973)

<table>
<thead>
<tr>
<th>Display type</th>
<th>Letter with number signs</th>
</tr>
</thead>
<tbody>
<tr>
<td>Visual condition</td>
<td>Word</td>
</tr>
<tr>
<td>Bright target/patterned mask</td>
<td>0.80</td>
</tr>
<tr>
<td>Dim target/blank mask</td>
<td>0.78</td>
</tr>
</tbody>
</table>

presented in Table 2. Forced-choice performance on letters in words is compared to performance on letters embedded in a row of number signs (e.g., READ vs. 1#E1). The number signs serve as a control for lateral facilitation or inhibition. This factor appears to be important under dim-target/blank-mask conditions.

Target durations were adjusted separately for each condition, so that it is only the pattern of differences within display conditions that is meaningful. The data show that a 15% word advantage was obtained in the bright-target/patterned-mask condition and only a 5% word advantage in the dim-target/blank-mask condition. Massaro and Klitzke (1979) obtained about the same size effects. Various aspects of these results have also been corroborated in two other studies (Juola et al., 1974; Taylor & Chabot, 1978).

To understand the difference between these two conditions it is important to note that in order to get about 75% correct performance in the no-mask condition, the stimulus must be highly degraded. Since there is no patterned mask, the iconic trace presumably persists considerably beyond the offset of the target. It is our assumption that the effect of the blank mask is simply to reduce the contrast of the icon by summing with it. Thus, the limit on performance is not so much the amount of time available in which to process the information as it is the quality of the information made available to the system. In contrast, when a patterned mask is employed, the mask produces spurious inputs, which can interfere with the processing of the target. Thus, in the bright-target/patterned-mask conditions, the primary limitation on performance is the amount of time that the information is available to the system in relatively legible form rather than the quality of the information presented. This distinction between the way in which blank masks and patterned masks interfere with performance has previously been made by a number of investigators, including Rumelhart (1970) and Turvey (1973). We now consider each of these sorts of conditions in turn.

Word perception under patterned-mask conditions. When a high-quality display is followed by a patterned mask, we assume that the bottleneck in performance does not come in the extraction of feature information from the target display. Thus, in our simulation of these conditions, we assume that all of the features presented can be extracted on every trial. The limitation on performance comes from the fact that the activations produced by the target are subject to disruption and replacement by the mask before they can be translated into a permanent form suitable for overt report. This general idea was suggested by Johnston and McClelland (1973) and considered by a number of other investigators, including Carr et al. (1978), Massaro and Klitzke (1979), and others. On the basis of this idea, a number of possible reasons for the advantage for letters in words have been suggested. One is that letters in words are for some reason translated more quickly into a non-maskable form (Johnston & McClelland, 1973; Massaro & Klitzke, 1979). Another is that words activate representations removed from the direct effects of visual patterned masking (Carr et al., 1978; Johnston & McClelland, 1973, 1980; McClelland, 1980). In the interactive activation model, the reason letters in words fare better than letters in nonwords is that they benefit from feedback that can drive them to higher activation levels. As a result, the probability that the activated letter representation will be correctly encoded is increased.

To understand in detail how this account works, consider the following example. Figure 8 shows the operation of our model for the letter E both in an unrelated ($) context and in the context of the word READ for a visual display of moderately high quality.
We assume that display conditions are sufficient for complete feature extraction, so that only the letters actually contained in the target receive net excitatory input on the basis of feature information. After some number of cycles have gone by, the mask is presented with the same parameters as the target. The mask simply replaces the target display at the feature level, resulting in a completely new input to the letter level. This input, because it contains features incompatible with the letter shown in all four positions, immediately begins to drive down the activations at the letter level. After only a few more cycles, the correct response emerges because the process results in this ca.

**Letter Level Activations**

**Output Values**

*Figure 8. Activation functions (top) and output values (bottom) for the letter E, in unrelated context and in the context of the word READ.*
few more cycles, these activations drop below resting level in both cases. Note that the correct letter was activated briefly, and no competing letter was activated. However, because of the sluggishness of the output process, these activations do not necessarily result in a high probability of correct report. As shown in the top half of Figure 8, the probability of correct report reaches a maximum after 16 cycles at a performance level far below the ceiling.

When the letter is part of the word (in this case, READ), the activation of the letters results in rapid activation of one or more words. These words, in turn, feed back to the letter level. This results in a higher net activation level for the letter embedded in the word.

Our simulation of the word advantage under patterned-mask conditions used the stimulus list that was used for simulating the blank-mask results. Since the internal workings of the model are completely deterministic as long as probability of feature extraction is 1.0, it was only necessary to run each item through the model once to obtain the expected probability that the critical letter would be encoded correctly for each item under each variation of parameters tried.

As described previously, we have assumed that readout of the results of processing occurs in parallel for all four letter positions and that the subject learns through practice to choose a time to read out in order to optimize performance. We have assumed that readout time may be set at a different point in different conditions, as long as they are blocked so that the subject knows in advance what type of material will be presented on each trial in the experiment. Thus, in simulating the Johnston and McClelland (1973) results, we allowed for different readout times for letters in words and letters in unrelated contexts, with the different times selected on the basis of practice to optimize performance on each type of material.

A final feature of the simulation is the duration of the target display. This was varied to produce an average performance on both letters embedded in number signs and letters in words that was as close as possible to the average performance on these two conditions in the 1973 experiment of Johnston and McClelland. The value used for the run reported below was 15 cycles. As in the Johnston and McClelland study, the mask followed the target immediately.

The simulation replicated the experimental data shown in Table 2 quite closely. Accuracy on the forced choice was 81% correct for the letters embedded in words and 66% correct for letters in an unrelated (f) context.

It turns out that it is not necessary to allow for different readout times for different material types. A repetition of the simulation produced a 15% word advantage when the same readout time was chosen for both single letters and letters in words, based on optimal performance averaged over the two material types. Thus, the model is consistent with the fact that the word advantage does not depend on separating the different stimulus types into separate blocks (Massaro & Klitzke, 1979).

Perception of letters in words under conditions of degraded input. In conditions of degraded (but not abbreviated) input, the role of the word level is to selectively reinforce possible letters that are consistent with the visual information extracted and that are also consistent with the words in the subject's vocabulary. Recall that the task requires the subject to choose between two letters, both of which (on word trials) make a word with the rest of the context. There are two distinct cases to consider. Either the featural information extracted from the to-be-probed letter is sufficient to distinguish between the alternatives, or it is not. Whenever the featural information is consistent with both of the forced-choice alternatives, any feedback will selectively enhance both alternatives and will not permit the subject to distinguish between them. When the information extracted is inconsistent with one of the alternatives, the model produces a word advantage. The reason is that we assume forced-choice responses are based not on the feature information itself but on the subject's best guess about what letter was actually shown. Feedback from the word level increases the probability of correct choice in those cases where the subject extracts information that is inconsistent with the incorrect alternative but consistent with the correct alternative.
and a number of others. Thus, feedback would have the effect of helping the subject select the actual letter shown from several possibilities consistent with the set of extracted features. Consider again, for example, the case of the presentation of \textit{WORD} discussed above. In this case, the subject extracted incomplete information about the final letter consistent with both \textit{R} and \textit{K}. Assume that the forced choice the subject was to face on this trial was between \textit{D} and \textit{A}. The account supposes that the subject encodes a single letter for each letter position before facing the forced choice. Thus, if the features of the final letter had been extracted in the absence of any context, the subject would encode \textit{R} or \textit{K} equally often, since both are equally compatible with the features extracted. This would leave the subject with the correct response some of the time. But if \textit{R} were chosen instead, the subject would enter the forced choice between \textit{D} and \textit{K} without knowing the correct answer directly. When the whole word display is shown, the feedback generated by the processing of all of the letters greatly strengthens the \textit{K}, increasing the probability that it will be chosen over the \textit{R} and thus increasing the probability that the subject will proceed to the forced choice with the correct response in mind.

Our interpretation of the small word advantage in blank-mask conditions is a specific version of the early accounts of the word advantage offered by Wheeler (1970) and Thompson and Massaro (1973) before it was known that the effect depends on masking. Johnston (1978) has argued that this type of account does not apply under patterned-mask conditions. We are suggesting that it does apply to the small word advantage obtained under blank-mask conditions like those of the Johnston and McClelland (1973) experiment. We will see below that the model offers a different account of performance under patterned-mask conditions.

We simulated our interpretation of the small word advantage obtained in blank-mask conditions in the following way. A set of 40 pairs of four-letter words that differed by a single letter was prepared. The differing letters occurred in each position equally often. From these words corresponding control pairs were generated in which the critical letters from the word pairs were presented in nonletter contexts (\#). Because they were presented in nonletter contexts, we assumed that these letters did not engage the word processing system at all.

Each member of each pair of items was presented to the model four times, yielding a total of 320 stimulus presentations of word stimuli and 320 presentations of single letters. On each presentation, the simulation sampled a random subset of the possible features to be detected by the system. The probability of detection of each feature was set at .45. As noted previously, these values are in a ratio of 1 to 30, so that if any one of the 14 features extracted is inconsistent with a particular letter, that letter receives net inhibition from the features and is rapidly driven into an inactive state.

For simplicity, the features were treated as a constant input, which remained on while letter and word activations (if any) were allowed to take place. At the end of 50 processing cycles, which is virtually asymptotic, output was sampled. Sampling results in the selection of one letter to fill each position; the selected letter is assumed to be all the subject takes away from the target display. As described previously, the forced choice is assumed to be based only on this letter identity information. The subject compares the letter selected for the appropriate position against the forced-choice alternatives. If the letter selected is one of the alternatives, then that alternative is selected. If it is not one of the alternatives, then one of the two alternatives is simply picked at random.

The simulation produced a 10% advantage for letters in words over letters embedded in number signs. Probability-correct forced choice for letters embedded in words was 78% correct, whereas for letters in number signs, performance was 68% correct.

The simulated results for the no-mask condition clearly show a smaller word advantage than for the patterned-mask case. However, the model produces a larger word advantage, which is observed in the experiment (Table 2). As Johnston (1978) has pointed out, there are a number of reasons why an account such as the one we have offered would underestimate the size of the
word advantage. First, subjects may occasionally be able to retain an impression of the actual visual information they have been able to extract. On such occasions, feedback from the word level will be of no further benefit. Second, even if subjects only retain a letter identity code, they may tend to choose the forced-choice alternative that is most similar to the letter encoded—instead of simply guessing—when the letter encoded is not one of the two choices. This would tend to result in a greater probability of correct choices and less of a chance for feedback to increase accuracy of performance. It is hard to know exactly how much these factors should be expected to reduce the size of the word advantage under these conditions, but they would certainly bring it more closely in line with the results.

Perception of Letters in Regular Nonwords

One of the most important findings in the literature on word perception is that an item need not be a word in order to produce facilitation with respect to unrelated letter or single letter stimuli. The advantage for pseudowords over unrelated letters has been obtained in a very large number of studies (Aderman & Smith, 1971; Baron & Thurston, 1973; Carr et al., 1978; McClelland, 1976; Spoehr & Smith, 1975). The pseudoword advantage over single letters has been obtained in three studies (Carr et al., 1978; Massaro & Klitzke, 1979; McClelland & Johnston, 1977).

Our model produces the facilitation for pseudowords by allowing them to activate nodes for words that share more than one letter in common with the display. When they occur, these activations produce feedback which strengthens the letters that gave rise to them just as in the case of words. These activations occur in the model if the strength of letter-to-word inhibition is reasonably small compared to the strength of letter-to-word excitation.

To see how this takes place in detail, consider a brief presentation of the pseudoword MAVE followed by a patterned mask. (The pseudoword is one used by Glushko, 1979, in developing the idea that partial activation of words are combined to derive pronunciations of pseudowords.) As illustrated in Figure 9, presentation of MAVE results in the initial activation of 16 different words. Most of these words, like have and gave, share three letters with MAVE. By and large, these words steadily gain in strength while the target is on and produce feedback to the letter level, sustaining the letters that supported them.

Some of the words are weakly activated for a brief period of time before they fall back below zero. These typically are words like more and many, which share only two letters with the target but are very high in frequency, so they need little excitation before they exceed threshold. But soon after they exceed threshold, the total activation at the word level becomes strong enough to overcome the weak excitatory input, causing them to drop down just after they begin to rise. Less frequent words sharing two letters with the word displayed have a worse fate still. Since they start out initially at a lower value, they generally fail to receive enough excitation to reach threshold. Thus, when there are several words that have three letters in common with the target, words that share only two letters with the target tend to exert little or no influence. In general then, with pronounceable pseudoword stimuli, the amount of feedback—and hence the amount of facilitation—depends primarily on the activation of nodes for words that share three letters with a displayed pseudoword. It is the
nodes for these words that primarily interact with the activations generated by the presentation of the actual target display. In what follows we will call the words that have three letters in common with the target letter string the neighbors of that string.

The amount of feedback a particular letter in a nonword receives depends, in the model, on two primary factors and two secondary factors. The two primary factors are the number of words in the neighborhood that contain the target letter and the number of words that do not. In the case of the $M$ in $MAVE$, for example, there are seven words in the neighborhood of $MAVE$ that begin with $M$, so the $m$ node gets excitatory feedback from all of these. These words are called the “friends” of the $m$ node in this case. Because of competition at the word level, the amount of activation that these words receive depends on the total number of words that have three letters in common with the target. Those that share three letters with the target but are inconsistent with the $m$ node (e.g., have) produce inhibition that tends to limit the activation of the friends of the $m$ node, and can thus be considered its “enemies.” These words also produce feedback that tends to activate letters that were not actually presented. For example, activation from have produces excitatory input to the $h$ node, thereby producing some competition with the $m$ node. These activations, however, are usually not terribly strong. No one word gets very active, and so letters not in the actual display tend to get fairly weak excitatory feedback. This weak excitation is usually insufficient to overcome the bottom-up inhibition acting on nonpresented letters. Thus, in most cases, the harm done by top-down activation of letters that were not shown is minimal.

A part of the effect we have been describing is illustrated in Figure 10. Here, we compare the activations of the nodes for the letters in $MAVE$. Without feedback, the four curves would be identical to the one single-letter curve included for comparison. So although there is facilitation for all four letters, there are definitely differences in the amount, depending on the number of friends and enemies of each letter. Note that within a given pseudoword, the total number of friends and enemies (i.e., the total number of words with three letters in common) is the same for all the letters.

There are two other factors that affect the extent to which a particular word will become active at the word level when a particular pseudoword is shown. Although the effects of these factors are only weakly reflected in the activations at the letter level, they are nevertheless interesting to note, since they indicate some synergistic effects that emerge from the interplay of simple excitatory and inhibitory influences in the neighborhood. These are the rich-get-richer effect and the gang effect. The rich-get-richer effect is illustrated in Figure 11, which compares the activation curves for the nodes for have, gave, and save under presentation of $MAVE$. The words differ in frequency, which gives the words slight differences in baseline activation. What is interesting is that the difference gets magnified; so that at the point of peak activation, there is a much larger difference. The reason for the amplification can be seen by considering a system containing only two nodes, $a$ and $b$, starting at different initial positive activation levels, $a$ and $b$ at time $t$. Let us suppose that $a$ is stronger than $b$ at $t$. Then at $t + 1$, $a$ will exert more of an inhibitory influence on $b$, since inhibition of a given node is determined by the sum of the activations of all nodes other than itself. This
the "rich get richer" effect

![Graph showing the rich get richer effect](image)

Figure 11. The rich-get-richer effect. (Activation functions for the nodes for have, gave, and save under presentation of MAVE.)

... advantage for the initially more active nodes is compounded further in the case of the effect of word frequency by the fact that more frequent words creep above threshold first, thereby exerting an inhibitory effect on the lower frequency words when the latter are still too weak to fight back at all.

Even more interesting is the gang effect, which depends on the coordinated action of a related set of word nodes. This effect is depicted in Figure 12. Here, the activation curves for the move, male, and save nodes are compared. In the language, move and make are of approximately equal frequency, so their activations start out at about the same level. But they soon pull apart. Similarly, save starts out below move but soon reaches a higher activation. The reason for these effects is that male and save are both members of gangs with several members, whereas move is not. Consider first the difference between male and move. The reason for the difference is that there are several words that share the same three letters with MAVE as male does. In the list of words used in our simulations, there are six. These words all work together to reinforce the m, and a, and the e nodes, thereby producing much stronger reinforcement for themselves. Thus, these words make up a gang called the ma_e gang. In this example, there is also a save gang consisting of 6 other words, of which save is one. All of these work together to reinforce the a, v, and e. Thus, the a and e are reinforced by two gangs, whereas the letters v and m are reinforced by only one each. Now consider the word move. This word is a loner; there are no other words in its gang, the m_ve gang. Although two of the letters in move receive support from one gang each, and one receives support from both other gangs, the letters of move are less strongly enhanced by feedback than the letters of the members of the other two gangss. Since continued activation of one word in the face of the competition generated by all of the other partially activated words depends on the activations of the component letter nodes, the words in the other two gangs eventually gain the upper hand and drive move back below the activation threshold.

As our study of the MAVE example illustrates, the pattern of activation produced by a particular pseudoword is complex and idiosyncratic. In addition to the basic friends and enemies effects, there are also the rich-get-richer and the gang effects. These effects are primarily reflected in the pattern of activation at the word level, but they also exert subtle influences on the activations at the letter level. In general though, the main result is that when the letter-to-word inhibition is low, all four letters in the pseudoword receive some feedback reinforcement. The result, of course, is greater accuracy of reporting letters in pseudowords compared to single letters.

Comparison of performance on words and pseudowords. Let us now consider the fact that the word advantage over pseudowords...
is generally rather small in experiments where the subject knows that the stimuli include pseudowords. Some fairly representative results, from the study of McClelland and Johnston (1977), are illustrated in Table 3. The visual conditions of the study were the same as those used in the patterned-mask condition in Johnston and McClelland (1973). Trials were blocked, so subjects could adopt the optimum strategy for each type of material. The slight word-pseudoword difference, though representative, is not actually statistically reliable in this study.

![Graph showing activation over time for CAVE with weak letter-to-word inhibition.]

**Figure 13.** Activity at the word level upon presentation of CAVE, with weak letter-to-word inhibition.

**Figure 14.** Activation functions for the letter *a* under presentation of CAVE and MAVE and alone.

Words differ from pseudowords in that a word strongly activates one node at the word level, whereas a pseudoword does not. While we would tend to think of this as increasing the amount of feedback for words as opposed to pseudowords, there is the word-level inhibition that must be taken into account. This inhibition tends to equalize the total amount of activation at the word level between words and pseudowords. With words, the word shown tends to dominate the pattern of activity, thereby keeping all the words that have three letters in common with it from achieving the activation level they would reach in the absence of a node activated by all four letters. This situation is illustrated for the word CAVE in Figure 13. The result is that the sum of the activations of all the active units at the word level is not much different between the two cases. Thus, CAVE produces only slightly more facilitation for its constituent letters than MAVE, as illustrated in Figure 14.

In addition to the leveling effect of competition at the word level, it turned out that in our model, one of the common design features of studies comparing performance on words and pseudowords would operate to keep performance relatively good on pseudowords. In general, the stimulus materials used in most of these studies are designed by beginning with a list of pairs of words that differ by one letter (e.g., *PEEL*-*PEEP*). From each pair of words, a pair of nonwords is generated, differing from the original letter by a single letter. In a pseudoword study, the typical list pairings are formed from related words, such as friend and pair. In general, pseudoword studies are somewhat artificial in that the stimuli are not actually meaningful in the same way as real words. However, the results of the studies are generally informative and have contributed to the development of a better understanding of the processes underlying word recognition.
inal word pair by just one of the context letters and thereby keeping the actual target letters—and as much of the context as possible—the same between word and pseudoword items (e.g., TEEL—TEEP). A previously unnoticed side effect of this matching procedure is that it ensures that the critical letter in each pseudoword has at least one friend, namely the word from the matching pair that differs from it by one context letter. In fact, most of the critical letters in the pseudowords used by McClelland and Johnston (1977) tended to have relatively few enemies, compared to the number of friends. In general, a particular letter should be expected to have three times as many friends as enemies. In the McClelland and Johnston stimuli, the great majority of the stimuli had much larger differentials. Indeed, more than half of the critical letters had no enemies at all.

The puzzling absence of cluster frequency effects. In the account we have just described, facilitation of performance on letters in pseudowords was explained by the fact that pseudowords tend to activate a large number of words, and these words tend to work together to reinforce the activations of letters. This account might seem to suggest that pseudowords that have common letter clusters, and therefore have several letters in common with many words, would tend to produce the greatest facilitation. However, this factor has been manipulated in a number of studies, and little has been found in the way of an effect. The McClelland and Johnston (1977) study is one case in point. As Table 3 illustrates, there is only a slight tendency for superior performance on high cluster frequency words. This slight tendency is also observed in single letter control stimuli, suggesting that the difference may be due to differences in perceptibility of the target letters in the different positions, rather than cluster frequency per se. In any case, the effect is very small.

Other studies have likewise failed to find any effect of cluster frequency (Spoehr & Smith, 1975; Manelis, 1974). The lack of an effect is most striking in the McClelland and Johnston study, since the high and low cluster frequency items differed widely in cluster frequency as measured in a number of ways.

In our model, the lack of a cluster frequency effect is due to the effect of mutual inhibition at the word level. As we have seen, this mutual inhibition tends to keep the total activity at the word level roughly constant over a variety of different input patterns, thereby greatly reducing the advantage for high cluster frequency items. Items containing infrequent clusters tend to activate few words, but there is less competition at the word level, so that the words that do become active reach higher activation levels.

The situation is illustrated for the nonwords TEEL and HOET in Figure 15. Although TEEL activates many more words, the total activation is not much different in the two cases.

The total activation is not, of course, the whole story. The ratio of friends to enemies is also important. And it turns out that this ratio is working against the high cluster items more than the low cluster items. In McClelland and Johnston’s stimuli, only one of the low cluster frequency nonword pairs had critical letters with any enemies at all! For 23 out of 24 pairs, there was at least one friend (by virtue of the method of stimulus construction) and no enemies. In contrast, for the high cluster frequency pairs, there was a wide range, with some items having several more enemies than friends.

To simulate the McClelland and Johnston (1977) results, we had to select a subset of their stimuli, since some of the words they used were not in our word list. The stimuli had been constructed in sets containing a word pair, a pseudoword pair, and a single letter pair that differed by the same letters in the same position (e.g., PEEL—PEEP, TEEL—TEEP). We simply selected all those sets in which both words in the pair appeared in our list. This resulted in a sample of 10 high cluster frequency sets and 10 low cluster frequency sets. The single letter stimuli derived from the high and low cluster frequency pairs were also run through the simulation. Both members of each pair were tested.

Since the stimuli were presented in the actual experiment blocked by material type, we separately selected an optimal time for readout for words, pseudowords, and single letters. Readout time was the same for high
and low cluster frequency items of the same type, since these were presented in a mixed list in the actual experiment. As in the simulation of the Johnston and McClelland (1973) results, the display was presented for a duration of 15 cycles.

The simulation results, shown in Table 3, reveal the same general pattern as the actual data. The magnitude of the pseudoword advantage over single letters is just slightly smaller than the word advantage, and the effect of cluster frequency is very slight.

We have yet to consider how the model deals with unrelated letter strings. This depends a little on the exact characteristics of the strings. First let us consider truly ran-

![Graphs showing word activations](image)

*Figure 15.* The number of words activated (top) and the total activation at the word level (bottom) upon presentation of the nonwords *TEEL* and *HOET.*
word ad-
slightly
and the
ight.
model
This de-
istics of
ly ran-
domly generated consonant strings. Such items typically produce some activation at
the word level in our model, since they tend
to share two letters with several words (one
letter out of four is insufficient to activate
a word, since three inhibitory inputs out-
weight one excitatory input). These strings
rarely have three letters in common with any
one word. Thus, they only tend to activate
a few words very weakly, and because of the
weakness of the bottom-up excitation, com-
petition among partially activated words
keep any one word from getting very active.
So, little benefit results. When we ran our
simulation on randomly generated conso-
nant strings, there was only a 1% advantage
over single letters.

Some items which have been used as un-
pronounceable nonwords or unrelated letter
strings do produce a weak facilitation. We
ran the nonwords used by McClelland and
Johnston (1977) in their Experiment 2.
These items contain a large number of vow-
els in positions that vowels typically occupy
in words, and they therefore activate more
words than, for example, random strings of
consonants. The simulation was run under
the same conditions as the one reported
above for McClelland and Johnston’s Ex-
periment 1. The simulation produced a slight
advantage for letters in these nonwords,
compared to single letters, as did the ex-
periment. In both the simulation and the actual
experiment, forced-choice performance was
4% more accurate for letters in these un-
related letter strings than in single letter
stimuli.

On the basis of this characteristic of our
model, the results of one experiment on the
importance of vowels in reading may be rein-
terpreted. Spohr and Smith (1975) found
that subjects were more accurate when re-
porting letters in unpronounceable nonwords
that contained vowels than in those com-
posed of all consonants. They interpreted the
results as supporting the view that subjects
parse letter strings into “vocalic center
groups.” However, an alternative possible
account is that the strings containing vowels
had more letters in common with actual
words than the all consonant strings.

In summary, the model provides a good
account of the perceptual advantage for let-
ters in pronounceable nonwords, and for the
lack of such an advantage in unrelated letter
strings. In addition, it accounts for the small
difference between performance on words
and pseudowords and for the absence of any
really noticeable cluster frequency effect in
the McClelland and Johnston (1977) exper-
iment.

The Role of Lexical Constraints

The Johnston (1978) experiment. Sev-
eral models that have been proposed to ac-
count for the word advantage rely on the
idea that the context letters in a word fa-
cilitate performance by constraining the set
of possible letters that might have been pre-
sented in the critical letter position. Accord-
ing to models of this class, contexts that
strongly constrain what the target letter
should be result in greater accuracy of per-
ception than more weakly constraining con-
texts. For example, the context _HIP should
facilitate the perception of an initial S more
than the context _INK. The reason is that
_HIP is more strongly constraining, since
only three letters (S, C, and W) fit in the
context to make a word, compared to _INK,
where nine letters (D, F, K, L, M, P, R, S,
and W) fit in the context to make a word.
In a test of such models, Johnston (1978)
compared accuracy of perception of letters
occurring in high- and low-constraint con-
texts. The same target letters were tested in
the same positions in both cases. For ex-
ample, the letters S and W were tested in
the high-constraint _HIP context and the
low-constraint _INK context. Using bright-
target/patterned-mask conditions, Johnston
found no difference in accuracy of percep-
tion between letters in the high- and low-
constraint contexts. The results of this ex-
periment are shown in Table 4. Johnston
measured letter perception in two ways. He
not only asked the subjects to decide which
of two letters had been presented (the forced-
choice measure), but he also asked subjects
to report the whole word and recorded how
often they got the critical letter correct. No
significant difference was observed in either
case. In the forced choice there was a slight
difference favoring low-constraint items,
Table 4

<table>
<thead>
<tr>
<th>Result class</th>
<th>Constraint</th>
<th>High</th>
<th>Low</th>
</tr>
</thead>
<tbody>
<tr>
<td>Actual data</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Forced choice</td>
<td></td>
<td>.77</td>
<td>.79</td>
</tr>
<tr>
<td>Free report</td>
<td></td>
<td>.54</td>
<td>.54</td>
</tr>
<tr>
<td>Simulation</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Forced choice</td>
<td></td>
<td>.77</td>
<td>.76</td>
</tr>
<tr>
<td>Free report</td>
<td></td>
<td>.56</td>
<td>.54</td>
</tr>
</tbody>
</table>

but in the free report there was no difference at all.

Although our model does use contextual constraints (as they are embodied in specific lexical items), it turns out that it does not predict that highly constraining contexts will facilitate perception of letters much more than weakly constraining contexts under bright-target/patterned-mask conditions. Under such conditions, the role of the word level is not to help the subject select among alternatives left open by an incomplete feature analysis process, as most constraint-based models have assumed, but rather to help strengthen the activation of the nodes for the letters presented. Contextual constraints, at least as manipulated by Johnston, do not have much effect on the magnitude of this strengthening effect.

In detail, what happens in the model when a word is shown is that the presentation results in weak activation of the words that share three letters with the target. Some of these words are friends of the critical letter in that they contain the actual critical letter shown, as well as two of the letters from the context (e.g., shop is a friend of the initial S in SHIP). Some of the words, however, are enemies of the critical letter in that they contain the three context letters of the word but a different letter in the critical letter position (e.g., chip and whip are enemies of the S in SHIP). From our point of view, Johnston’s (1978) constraint manipulation is essentially a manipulation of the number of enemies the critical letter has in the given context. Johnston’s high- and low-constraint stimuli have equal numbers of friends, on the average, but (by design) the high-constraint items have fewer enemies, as shown in Table 5.

In the simulation, the friends and enemies of the target word receive some activation. The greater number of enemies in the low-constraint condition is responsible for the small effect of constraint that the model produces. What happens is that the enemies of the critical letter tend to keep nodes for the presented word and for the friends of the critical letter from being quite as strongly activated as they would otherwise be. The effect is quite small for two reasons. First, the node for the word presented receives four excitatory inputs from the letter level, and all other words can only receive at most three excitatory inputs and at least one inhibitory input. As we saw in the case of the word CAVE, the node for the correct word dominates the activations at the word level and is predominantly responsible for any feedback to the letter level. Second, while the high-constraint items have fewer enemies, by more than a two-to-one margin, both high- and low-constraint items have, on the average, more friends than enemies. The friends of the target letter work with the actual word shown to keep the activations of the enemies in check, thereby reducing the extent of their inhibitory effect still further. The ratio of the number of friends over the total number of neighbors is not very different in the two conditions, except in the first serial position.

This discussion may give the impression that contextual constraint is not an important variable in our model. In fact, it is quite powerful. But its effects are obscured in the Johnston (1978) experiment because of the strong dominance of the target word when all the features are extracted and the fact that we are concerned with the likelihood of perceiving a particular letter rather than performance in identifying correctly what whole word was shown. We will now consider an experiment in which contextual constraints played a strong role, because the characteristics just mentioned were absent.

The Broadbent and Gregory (1968) experiment. Up to now we have found no evidence that either bigram frequency or lexical constraints have any effect on performance. However, in experiments using

The trad variable: the temporal recognition of relatively quiescences, in bigger

In one theory (196 freque

We now consider their note that experiment McClellan the data gram fre

Table 5

<table>
<thead>
<tr>
<th>Friends</th>
</tr>
</thead>
<tbody>
<tr>
<td>Critical</td>
</tr>
<tr>
<td>position</td>
</tr>
<tr>
<td>1</td>
</tr>
<tr>
<td>1</td>
</tr>
<tr>
<td>2</td>
</tr>
<tr>
<td>3</td>
</tr>
<tr>
<td>4</td>
</tr>
<tr>
<td>Average</td>
</tr>
</tbody>
</table>

the trad variable: the temporal recognition of relatively quiescences, in bigger

In one theory (196 freque

We now consider their note that experiment McClellan the data gram fre

Table 6

<table>
<thead>
<tr>
<th>Frequency</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
</tr>
<tr>
<td>2</td>
</tr>
<tr>
<td>3</td>
</tr>
<tr>
<td>4</td>
</tr>
<tr>
<td>Average</td>
</tr>
</tbody>
</table>

A frequency was obtained it was not of items words of va

Unfortunately used five-
Table 5

<table>
<thead>
<tr>
<th>Critical letter position</th>
<th>High constraint</th>
<th>Low constraint</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Friends</td>
<td>Enemies</td>
</tr>
<tr>
<td>1</td>
<td>3.33</td>
<td>2.22</td>
</tr>
<tr>
<td>2</td>
<td>9.17</td>
<td>1.00</td>
</tr>
<tr>
<td>3</td>
<td>6.30</td>
<td>1.70</td>
</tr>
<tr>
<td>4</td>
<td>4.96</td>
<td>1.67</td>
</tr>
<tr>
<td>Average</td>
<td>5.93</td>
<td>1.65</td>
</tr>
</tbody>
</table>

The traditional whole report method, these variables have been shown to have substantial effects. Various studies have shown that recognition thresholds are lower, or recognition accuracy at threshold higher, when relatively unusual words are used (Bouwhuis, 1979; Havens & Foote, 1963; Newbigging, 1961). Such items tend to be low in bigram frequency and at the same time high in lexical constraint.

In one experiment, Broadbent and Gregory (1968) investigated the role of bigram frequency at two different levels of word frequency and found an interesting interaction. We now consider how our model can account for their results. To begin, it is important to note that the visual conditions of their experiment were quite different from those of McClelland and Johnston (1977), in which the data and our model failed to show a bigram frequency effect, and of Johnston (1978), in which the data and the model showed little or no constraint effect. The conditions were like the dim-target/blank-mask conditions discussed above, in that the target was shown briefly against an illuminated background, without being followed by any kind of mask. The dependent measure was the probability of correctly reporting the whole word. The results are indicated in Table 6. A slight advantage for high bigram frequency items over low bigram frequency was obtained for frequent words, although it was not consistent over different subsets of items tested. The main finding was that words of low bigram frequency had an advantage among infrequent words. For these stimuli, higher bigram frequency actually resulted in a lower percent correct.

Unfortunately, Broadbent and Gregory used five-letter words, so we were unable to run a simulation on their actual stimuli. However, we were able to select a subset of the stimuli used in the McClelland and Johnston (1977) experiment that fit the requirements of the Broadbent and Gregory design. We therefore presented these stimuli to our model, under the presentation parameters used in simulating the blank-mask condition of the Johnston and McClelland (1973) experiment above. The only difference was that the output was taken, not from the letter level, as in all of our other simulations, but directly from the word level. The results of the simulation, shown in Table 6, replicate the obtained pattern very nicely. The simulation produced a large advantage for the low bigram items, among the infrequent words, and produced a slight advantage for high bigram items among the frequent words.

In our model, low-frequency words of high bigram frequency are most poorly recognized, because these are the words that have the largest number of neighbors. Under conditions of incomplete feature extraction, which we expect to prevail under these visual conditions.

Table 6

<table>
<thead>
<tr>
<th>Word frequency</th>
<th>High</th>
<th>Low</th>
</tr>
</thead>
<tbody>
<tr>
<td>Actual data</td>
<td></td>
<td></td>
</tr>
<tr>
<td>High BF</td>
<td>.64</td>
<td>.43</td>
</tr>
<tr>
<td>Low BF</td>
<td>.64</td>
<td>.58</td>
</tr>
<tr>
<td>Simulation</td>
<td></td>
<td></td>
</tr>
<tr>
<td>High BF</td>
<td>.41</td>
<td>.21</td>
</tr>
<tr>
<td>Low BF</td>
<td>.39</td>
<td>.37</td>
</tr>
</tbody>
</table>

Note: BF = bigram frequency.
conditions, the more neighbors a word has the more likely it is to be confused with some other word. This becomes particularly important for lower frequency words. As we have seen, if both a low-frequency word and a high-frequency word are equally compatible with the detected portion of the input, the higher frequency word will tend to dominate. When incomplete feature information is extracted, the relative activation of the target and the neighbors is much lower than when all the features have been seen. Indeed, some neighbors may turn out to be just as compatible with the features extracted as the target itself. Under these circumstances, the word of the highest frequency will tend to gain the upper hand. The probability of correctly reporting a low-frequency word will therefore be much more strongly influenced by the presence of a high-frequency neighbor compatible with the input than the other way around.

But why does the model actually produce a slight reversal with high-frequency words? Even here, it would seem that the presence of numerous neighbors would tend to hurt instead of facilitate performance. However, we have forgotten the fact that the activation of neighbors can be beneficial as well as harmful. The active neighbors produce feedback that strengthens most or all of the letters, and these in turn increase the activation of the node for the word shown. As it happens, there turns out to be a delicate balance for high-frequency words between the negative and positive effects of neighbors, which only slightly favors the words with more neighbors. Indeed, the effect only holds for some of these items. We have not yet had the opportunity to explore all the factors that determine whether the effect of neighbors in individual cases will on balance be positive or negative.

Different effects in different experiments. This discussion of the Broadbent and Gregory (1968) experiment indicates once again that our model is something of a chameleon. The model produces no effect of constraint or bigram frequency under the visual conditions and testing procedures used in the Johnston (1978) and McClelland and Johnston (1977) experiments but does produce such effects under the conditions of the Broadbent and Gregory (1968) experiment. This flexibility of the model, of course, is fully required by the data. While there are other models of word perception that can account for one or the other type of result, to our knowledge the model presented here is the only scheme that has been worked out to account for both.

Discussion

The interactive activation model does a good job of accounting for the results in the literature on the perception of letters in words and nonwords. The model provides a unified explanation of the results of a variety of experiments and provides a framework in which the effects of manipulations of the visual display characteristics used may be analyzed. In addition, as we shall see in Part 2 (Rumelhart & McClelland, in press), the model readily accounts for a variety of additional phenomena. Moreover, as we shall also show, it can be extended beyond its current domain of applicability with substantial success. In Part 2 we will report a number of experiments demonstrating what we call “context enhancement effects” and show how the model can explain the major findings in the experiments.

One issue that deserves some consideration is the robustness of the model. To what extent do the simulations depend upon particular parameter values? What are the effects of changes of the parameter values? These are extremely complex questions, and we do not have complete answers. However, we have made some observations. First, the basic Reicher (1969) effect can be obtained under a very wide range of different parameters, though of course its exact size will depend on the ensemble of parameter values. However, one thing that seems to be important is the overpowering effect of one incompatible feature in suppressing activations at the letter level. Without this strong bottom-up inhibition, the mask would not effectively drive out the activations previously established by the stimulus. Second, performance on pronounceable nonwords depends on the relative strength of letter-word excitation compared to inhibition and on the strength of the competition among word units. Pa-
rameter values can be found which produce no advantage for any multiletter strings except words, whereas other values can be found that produce large advantages for words, pseudowords, and even many nonword strings. The effects (or rather the lack of effects) of letter-cluster frequency and constraints likewise depend on these parameters.

It thus appears that relatively strong feature-letter inhibition is necessary, but at the same time, relatively weak letter-word inhibition is necessary. This discrepancy is a bit puzzling, since we would have thought that the same general principles of operation would have applied to both the letter and the word levels. A possible way to resolve the discrepancy might be to introduce a more sophisticated account of the way masking works. It is quite possible that new inputs act as position-specific "clear signals," disrupting activations created by previous patterns in corresponding locations. Some possible physiological mechanisms that would produce such effects at lower processing levels have been described by Weisstein, Ong, and Szoc (1975) and by Breitmeyer and Ganz (1976), among others. If we used such a mechanism to account for the basic effect of masking, it might well be possible to lower the feature-letter inhibition considerably. Lowering feature-letter inhibition would then necessitate strong letter-letter inhibition, so that letters that exactly match the input would be able to dominate those with only partial matches. With these changes the letter and word levels would indeed operate by the same principles.

Perhaps it is a bit premature to discuss such issues as robustness, since there are a number of problems that we have not yet resolved. First, we have ignored the fact that there is a high degree of positional uncertainty in reports of letters—particularly letters in unrelated strings, but occasionally also in reports of letters in words and pseudowords (Estes, 1975; McClelland, 1976; McClelland & Johnston, 1977). Another thing that we have not considered very fully is the serial position curve. In general, it appears that performance is more accurate on the end letters in multiletter strings, particularly the first letter. In Part 2 we consider ways of extending the model to account for both of these aspects of perceptual performance.

Third, there are some effects of set on word perception that we have not considered. Johnston and McClelland (1974) found that perception of letters in words was actually hurt if subjects focused their attention on a single letter position in the word (see also Holender, 1979, and Johnston, 1974). In addition, Aderman and Smith (1971) found that the advantage for pseudowords over unrelated letters only occurs if the subject expects that pseudowords will be shown; and more recently, Carr et al. (1978) have replicated this finding, while at the same time showing that it is apparently not necessary to be prepared for presentations of actual words. Part 2 considers how our model is compatible with this effect also. We will also consider how our model might be extended to account for some recent findings demonstrating effects of letter and word masking on perception of letters in words and other contexts.

In all but one of the experiments we have simulated, the primary (if not the only) data for the experiments were obtained from forced choices between pairs of letters, or strings differing by a single letter. In these cases, it seemed to us most natural to rely on the output of the letter level as the basis for responding. However, it may well be that subjects often base their responses on the output of the word level. Indeed, we have assumed that they do in experiments like the Broadent and Gregory (1968) study, in which subjects were told to report what word they thought they had seen. This may also have happened in the McClelland and Johnston (1977) and Johnston (1978) studies, in which subjects were instructed to report all four letters before the forced choice on some trials. Indeed, both studies found that the probability of reporting all four letters correctly for letters in words was greater than we would expect given independent processing of each letter position. It seems natural to account for these completely correct reports by assuming that they often occurred on occasions where the subject encoded the item as a word. Even in experiments where only a forced choice is obtained, on many
occasions subjects may still come away with a word, rather than a sequence of letters.

In the early phases of the development of our model, we explicitly included the possibility of output from the word level as well as the letter level. We assumed that the subject would either encode a word, with some probability dependent on the activations at the word level or, failing that, would encode some letter for each letter position dependent on the activations at the letter level. However, we found that simply relying on the letter level permitted us to account equally well for the results. In essence, the reason is that the word-level information is incorporated into the activations at the letter level because of the feedback, so that the word level is largely redundant. In addition, of course, readout from the letter level is necessary to the model's account of performance with nonwords. Since it is adequate to account for all of the forced-choice data, and since it is difficult to know exactly how much of the details of free-report data should be attributed to perceptual processes and how much to such things as possible biases in the readout processes and so forth, we have stuck for the present with readout from the letter level.

Another decision that we adopted in order to keep the model within bounds was to exclude the possibility of processing interactions between the visual and phonological systems. However, in the model as sketched at the outset (Figure 1), activations at the letter level interacted with a phonological level as well as the word level. Perhaps the most interesting feature of our model is its ability to account for performance on letters in pronounceable nonwords without assuming any such interactions. We will also see in Part 2 (Rumelhart & McClelland, in press) that certain carefully selected unpronounceable consonant strings produce quite large contextual facilitation effects, compared to other sequences of consonants, which supports our basic position that pronounceability per se is not an important feature of the perceptual facilitation effects we have accounted for.

Another simplification we have adopted in Part 1 has been to consider only cases in which individual letters or strings of letters were presented in the absence of a linguistic context. In Part 2 we will consider the effects of introducing contextual inputs to the word level, and we will explore how the model might work in processing spoken words in context as well.

Reference Notes


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Turvey, M. On peripheral and central processes in vision: Inferences from an information-processing analysis of masking with patterned stimuli. Psychological Review, 1972, 80, 1-52.


### Appendix

Computer Simulation of the Model

The computer program for simulating the interactive activation model was written in the C programming language to run on a Digital PDP 11/45 computer under the UNIX (Trade Mark of Bell Laboratories) operating system. There is now a second version, also in C, which runs under
UNIX on a VAX 11/780. When no other jobs are running on the VAX, a simulation of a single experimental trial takes approximately 15–30 sec.

Data Structures

The simulation relies on several arrays for each of the processing levels in the model. The input is held in an array that contains slots for each of the line segments in the Rumelhart-Siple font in each position. Segments can be present or absent, or their status can be indeterminate (as when the input is made deliberately incomplete). There is another array that holds the information the model has detected about the display. Each element of this array represents a detector for the presence or absence of a feature. When the corresponding feature is detected, the detector's value is set to 1 (remember that both absence and presence must be detected).

At the letter level, one array (the activation array) stores the current activation of each node. A second array (the excitatory buffer) is used to sum all of the excitatory influences reaching each node on a given tick of the clock, and a third array (the inhibitory buffer) is used to sum all of the inhibitory influences reaching each node. In addition there is an output array, containing the current output strength of each letter level node. At the word level, there is an activation array for the current activation of each node, as well as an excitatory buffer and an inhibitory buffer.

Knowledge of Letters and Words

The links among the nodes in the model are stored in a set of tables. There is a table in the program that lists which features are present in each letter and which are absent. Another table contains the spellings of each of the 1,179 words known to the program.

Input

Simulated visual input is entered from a computer terminal or from a text file. Several successive displays within a single "trial" may be specified. Each display is characterized by an onset time (tick number from the start of the trial—see below) and some array of visual information. Each lowercase letter stands for the array of features making up the corresponding letter. Other characters stand for particular mask characters, blanks, and so forth. As examples, "_" stands for a blank, and "0" stands for the mask character. Thus the specification:

```
0 may-
12 nave
24 0000
```

instructs the program to present the visual array consisting of the letters M, A, and V in the first, second, and third letter positions, respectively, at Cycle 0; to present the letter E in the fourth position at Cycle 12; and to present an X mask at Cycle 24. It is also possible to specify any arbitrary feature array to occur in any letter position.

Processing Occurring During Each Cycle

During each cycle, the values of all of the nodes are updated. The activations of letter and word nodes, which were determined on Cycle \( t - 1 \), are used to determine the activations of these nodes on Cycle \( t \). Activations of feature nodes are updated first, so that they begin to influence letter nodes right away.

The first thing the program does on each cycle is update the input array to reflect any new changes in the display. On cycles when a new display is presented, detectors for features in letter positions in which there has been a change in the input are subject to resetting. A random number generator is used to determine whether each new feature is detected or not. When the new value of a particular feature (present or absent) is detected, the old value is erased. Probability of detection can be set to any probability (in many cases it is simply set to 1.0, so that all of the features are detected).

For each letter in each position, the program then checks the current activation value (i.e., the value computed on the previous cycle) in the activation array. If the node is active (i.e., if its activation is above threshold), its excitatory and inhibitory effects on each node at the word level are computed. To determine whether the letter in question excites or inhibits a particular word node, the program simply examines the spelling of each word to see if the letter is in the word in the appropriate position. If so, excitation is added to the word's excitatory buffer. If not, inhibition is added to the word's inhibitory buffer. The magnitudes of these effects are the product of the driving letter's activation and the appropriate rate parameters. Word-to-letter influences are computed in a similar fashion.

The next step is the computation of the word-letter inhibition and the determination of the new word activation values. First, the activations of all the active word nodes are summed. The inhibitory buffer of each word node is incremented by an amount proportional to the summed activation of all other word nodes (i.e., by the product of the total word level activation minus its own activation, if it is active, times the word-letter inhibition rate parameter). This completes the influences acting on the word nodes. The value in the inhibitory buffer is subtracted from the value in the excitatory buffer. The result is then subjected to floor and ceiling effects, as described in the article,

to determine inhibitory current of the current word array. Finders are cleared.

Next is the activation of the inhibitory as well as the excitatory reports of letter inhibitory.

Next is values at the same activation as the new inhibition

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Output

To simulate program must be processed in being tested. In fact the full target d (e.g., LEAD) can be used to fulfill the two choices available for the simulation program prior to specifying a particular user may be set for the remaining time for the resulting option is used.
to determine the net effect of the excitatory and inhibitory input. This net effect is then added to the current activation of the node, and the decay of the current value is subtracted to give a new current value, which is stored in the activation array. Finally, the excitatory and inhibitory buffers are cleared for new input on the next cycle.

Next is the computation of the feature-to-letter influences. For each feature in each letter position, if that feature has been detected, the program checks each letter to see if it contains the feature. If it does, the excitatory buffer for that letter in that position is incremented. If not, the corresponding inhibitory buffer is incremented. After this, the letter-letter inhibition is added into the inhibitory buffers following a similar procedure as was used in computing the word-letter inhibitory effects. (Actually, this step is skipped in the reported simulations, since the value of letter-letter inhibition has been set to zero.)

Next is the computation of the new activation values at the letter level. These are computed in just the same way as the new activation values at the word level. Finally, the effect of the current activation is added into the letter’s output strength, and the excitatory and inhibitory buffers are cleared for the next cycle.

The order of some of the preceding steps is arbitrary. What is important is that at the end of each cycle, the activations of all the word nodes have been updated to reflect letter activations of the previous cycle and vice versa. The fact that newly detected input influences the letter detectors immediately is not meaningful, since waiting until the next cycle would just add a fixed delay to all of the activations in the system.

Output

To simulate forced-choice performance, the program must be told when to read out the results of processing at the letter level, what position is being tested, and what the two alternatives are. In fact the user actually gives the program the full target display and the full alternative display (e.g., LEAD-LOAD), and the program compares them to figure out the critical letter position and the two choice alternatives. Various options are available for monitoring readout performance of the simulation. First, it is possible to have the program print out what the result of readout would be at each time cycle. Second, the user may specify a particular cycle for readout. Third, the user may tell the program to figure out the optimal time for readout and to print both the time and the resulting percent correct performance. This option is used in preliminary runs to determine what readout time to use in the final simulation runs for each experiment.

On each cycle for which output is requested, the program computes the probability that the correct alternative is read out and the probability that the incorrect alternative is read out, based on their response strengths as described in the text. Probability-correct forced choice is then simply the probability that the correct alternative was read out, plus .5 times the probability that neither the correct nor the incorrect alternative was read out.

Observation and Manipulation

It is possible to examine the activation of any node at the end of each cycle. A few useful summaries are also available, such as the number of active word nodes and the sum of their activations, the number of active letter nodes in each position, and so on. It is also possible to alter any of the parameters of the model between cycles or to change a parameter and then start again at Time 0 in order to compare the response of the model under different parameter values.

Running a Simulation

When simulating an experiment with a number of different trials (i.e., a number of different stimulus items in each experimental condition), the information the computer needs about the input and the forced-choice alternatives can be specified in a file, with one line containing all of the necessary information for each trial of the simulation. Typically a few test runs are carried out to choose an optimal exposure duration and readout time. Then the simulation is run with a single specified readout time for each display condition (when different display types are mixed within the same block of trials in the experiment being simulated, a single readout time is used for all display conditions). Note that when the probability of feature detection is set to 1.0, the model is completely deterministic. That is, it computes readout and forced-choice probabilities on the basis of response strengths. These are determined completely by the knowledge stored in the system (e.g., what the system knows about the appearance of the letters and the spellings of the words), by the set of features extracted, and by the values of the various parameters.

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